LaTeX Tutorial: Exercise Handout

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This document contains the exercises for the "Introduction to LATEX" workshop. Please complete each exercise as directed by the instructor.

Exercise 1: Your First Document

Task: Write the following document. Replace bracketed text with your own information and pay close attention to the special characters and quotes.

Exercise 1

My Research Profile Authored by: [Your Name]

1. Motivation

My work focuses on the 68% of statistical problems involving high-dimensional data. As of 2025, the "data explosion" requires new methods. My goal is to develop new models that are both <u>theoretically sound</u> & practically applicable. The cost of failure is at least \$1 million in some fields.

2. Core Areas

My research interests include:

- Bayesian Inference
- High-Dimensional Data Analysis

Exercise 2: Basic Equations

Task: Add a new section and typeset the following formulae:

Exercise 2

$$\begin{split} t &= \frac{\bar{x}_1 - \bar{x}_2}{\sqrt{\frac{s_1^2}{n_1} + \frac{s_2^2}{n_2}}}.\\ f(x \mid \mu, \sigma^2) &= \frac{1}{\sqrt{2\pi\sigma^2}} \exp\left(-\frac{(x-\mu)^2}{2\sigma^2}\right).\\ 1^2 + 2^2 + \ldots + n^2 &= \sum_{k=1}^n k^2 = \frac{n(n+1)(2n+1)}{6}.\\ \int_{-\infty}^{\infty} f(x)g(x) \,\mathrm{d}x &\leq \left(\int_{-\infty}^{\infty} f(x)^2 \,\mathrm{d}x\right)^{1/2} \left(\int_{-\infty}^{\infty} g(x)^2 \,\mathrm{d}x\right)^{1/2}.\\ Y &= \beta_0 + \beta_1 X + \epsilon, \quad \text{where} \quad \epsilon \sim \mathcal{N}(0, \sigma^2). \end{split}$$

Exercise 3: Cross-Referencing Equations

Task: Add a new section and typeset the following derivation of the Chebyshev's inequality:

Exercise 3

Recall the Markov's inequality:

$$\mathbb{P}(Y \ge a) \le \frac{\mathbb{E}[Y]}{a},\tag{1}$$

and the definition of the variance:

$$\mathbb{E}[(X-\mu)^2] = \sigma^2. \tag{2}$$

Letting $Y = (X - \mu)^2$, it follows from (1) and (2) respectively that

$$\mathbb{P}\left(|X-\mu| \ge a\right) = \mathbb{P}\left((X-\mu)^2 \ge a^2\right)$$
$$\le \frac{\mathbb{E}[(X-\mu)^2]}{a^2}$$
$$= \frac{\sigma^2}{a^2}.$$

This final line is the *Chebyshev's inequality*.

Exercise 4: Alignment and Macro

Task: Add a new section. Add a $\mbox{newcommand to your preamble for the expectation oper$ $ator, <math>\mbox{mathbb}{E}$. Then, typeset the following derivation using the align* environment.

Exercise 4

The variance of a random variable X can be derived from the definition of variance and the linearity of expectation:

$$\operatorname{Var}(X) = \mathbb{E}[(X - \mathbb{E}[X])^2]$$

= $\mathbb{E}[X^2 - 2X\mathbb{E}[X] + (\mathbb{E}[X])^2]$
= $\mathbb{E}[X^2] - 2\mathbb{E}[X]\mathbb{E}[X] + (\mathbb{E}[X])^2$
= $\mathbb{E}[X^2] - (\mathbb{E}[X])^2.$

Exercise 5: Matrices and Cases

Task: Add the following mathematical definitions to your document. Use the **bmatrix** environment for the matrix and the **cases** environment for the piecewise function. Use display math $[\ldots]$ for these unnumbered equations.

Exercise 5

The covariance matrix for two random variables X and Y is given by:

$$\Sigma = \begin{bmatrix} \operatorname{Var}(X) & \operatorname{Cov}(X,Y) \\ \operatorname{Cov}(Y,X) & \operatorname{Var}(Y) \end{bmatrix}.$$

The probability density function of the exponential distribution is:

$$f(x) = \begin{cases} \lambda e^{-\lambda x} & \text{if } x \ge 0\\ 0 & \text{otherwise,} \end{cases} \quad \text{for any } x \in \mathbb{R}$$

Exercise 6: Figures and Tables

Task: Create the table and figure below and refer to them in a sentence.

1. Create the table using the booktabs package commands (\toprule, etc.). Add the caption and label.

Item	Qty	Unit \$
Widget	1	199.99
Gadget	2	399.99
Cable	3	19.99

Table	1:	Prices	of	stuff
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2. Add a figure of Moo Deng. Add the caption and label.



Figure 1: Moo Deng.

3. Write the sentence: "The prices of stuff are summarized in Table 1 and the picture of Moo Deng is shown in Figure 1."



References

- Robert Tibshirani. Regression shrinkage and selection via the lasso. Journal of the Royal Statistical Society. Series B (Methodological), 58(1):267–288, 1996.
- [2] Hui Zou. The adaptive lasso and its oracle properties. Journal of the American Statistical Association, 101(476):1418–1429, 2006.